# Thermal-Infrared imaging

### What is it?

- measurement of emitted radiation (temperature)
- at one or more times (thermal inertia)
- at one or more wavelengths (composition)

Why bother?

- see at night
- temperatures
- energy fluxes
- material properties (resistance to
  - temperature change, i.e. thermal inertia)
- composition (emissivities)





### Kirchhoff' s Law



*Restrahlen band*: *k* maximized at fundamental vibration mode frequency

*Christiansen frequency*: *n* = 1, minimizing reflectance

Reflectance or emission spectrum results from combination of *n*, *k* variations



# Emissivity spectra of rocks



# Emissivity spectra of rocks



# Emissivity spectra of approximate graybodies



# What compositions can be determined in the TIR?

Mostly vibrational resonance, not electronic processes therefore, relatively large molecules

Silicate minerals  $(SiO_4^{-4})$ ; quartz  $(SiO_2)$ Sulfates  $(SO_4^{-2})$ ; sulfur dioxide  $(SO_2)$ Carbonates  $(CO_3^{-2})$ ; carbon dioxide  $(CO_2)$ Ozone  $(O_3)$ Water  $(H_2O)$ Organic molecules



Figure 7. Thermal infrared spectra of representative silicate, carbonate, and sulfate minerals. Laboratory data are from the Arizona State University (ASU) spectral library [Christensen et al., 2000a].



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### Thermal infrared spectral features of silicates (Clark, 1999)





### Death Valley, California

#### THERMAL INFRARED OBSERVATIONS DEATH VALLEY, CALIFORNIA





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# Saline Valley, California



VNIR

SWIR

TIR

## Mauna Loa, Hawaii



# ASTER TIR, daytime

daytime





montmorillonite+hematite

slightly altered basaltic rock

# Not all thermal images are dominated by *solar* heating of the surface



#### Enceladus

# Not all thermal images are dominated by *solar* heating of the surface



ASTER images of Yellowstone: VNIR (left) and TIR (right)

### A little about solving sets of equations

If you measure R there are 2 unknowns:  $\varepsilon$  and T If you measure R at a different  $\lambda$ , there is another unknown  $\varepsilon$ 

If you measure a spectrum of n bands, there are n+1 unknowns

You must have the same number of measurements as unknowns to solve a set of equations

How can you do this for TIR data?

### Temperature - Emissivity Separation

•Two-time two-channel method •Completely determined

•Model emissivity method •Assume  $\varepsilon_{10\mu m} = 0.96$ 

•Normalized Emissivity method •Assume  $\varepsilon_{max} = 1$ 

But if  $\varepsilon_{max} < 1 \dots$ 



Figure 11. The emissivity error that arises from deriving sample temperature from a nonunit emissivity Christiansen feature (1359 cm<sup>-1</sup> is used here). Three different  $\varepsilon_{CF}$  cases are plotted for four different sample temperatures.

## Example of $\varepsilon_{max} < 1$ : chlorides



### Day/night

### Vis

#### 10.8 µm

